# FORECASTING QUARTERLY EARNINGS USING A TREND-SEASONAL MODEL

Khurshidzhon Zhumakulov

Candidate of physical and mathematical sciences, associate professor of the "Mathematics" department of the Kokand State Pedagogical Institute

Jo'rayeva Zulayho Bahromjon qizi Master Student of Namangan State University zulayhojuraeva7040@gmail.com

#### **Abstract:**

In this work, a trend-seasonal model is selected, which shows the most optimal ways of showing the trend equations with additive forming and multiplicative forming models.

**Keywords:** Trend, seasonality, additive forming models, multiplicative forming models, moving average, smoothed series.

The value of a variable (for example, sales volume) changes over time under the influence of a number of factors. If the values of a time series variable change, some more or less stable feature is observed from year to year in a certain period of time, then the series is said to have seasonality. The overall change in the values of a variable over time is called a trend.

 $X_t$ - the observed value of the time series is considered a function of seasonality  $(S_t)$  and trends  $(T_t)$ . These elements of the time series can be combined in several ways:

1. Additive forming models:

$$X_{t} = T_{t} + S_{t}$$

2. Multiplicative forming models:

$$X_{t} = T_{t} \cdot S_{t}$$

Below we present the steps for forecasting quarterly earnings using additive and multiplicative models

- I. Forecasting with additive forming models.
- 1) The moving average is found:

$$y'_{t} = \frac{\frac{1}{2}y_{t-2} + y_{t-1} + y_{t} + y_{t+1} + \frac{1}{2}y_{t+2}}{4}$$

- The difference between the actual value and the smoothed series is found  $x_t = y_t y_t'$
- 3) The average value of  $x_t$  for quarters with the same name is found as follows where is the number of cycles taken from the second step.

$$\bar{x}_{i} = \begin{cases} \frac{1}{k} \sum_{j=1}^{k} x_{4j+i} & i = 1, 2 \text{ yчун} \\ \frac{1}{k} \sum_{j=0}^{k-1} x_{4j+i} & i = 3, 4 \text{ yчун,} \end{cases}$$

as follows where is k the number of cycles taken from the second step.

4) Seasonality values are found for each quarter

$$S_t = \overline{x}_i - \overline{x}$$

where is  $\bar{x} = \frac{1}{4} \sum_{i=1}^{4} \bar{x}_i$ .

- 5) The outliers of the moving average  $y_1'$ ,  $y_2'$  and  $y_{n-1}'$ ,  $y_n'$  s are found. To do this, the average absolute change for the moving averages found above  $\Delta y = \frac{y_{n-3}' y_3'}{n-5}$  is found and will be equal to  $y_1' = y_2' \Delta y$ ,  $y_2' = y_3' \Delta y$ ,  $y_{n-1}' = y_{n-2}' + \Delta y$ ,  $y_n' = y_{n-1}' + \Delta y$ .
- 6) For  $y'_1, y'_2, ..., y'_{n-1}, y'_n$  a straight line regression equation  $y_t^{(1)}$  moving averages is found.
- 7) Predicted terms are found by the formula  $y_t = y_t^{(1)} + S_t$

# II. Forecasting with multiplicative forming models.

1) The moving average is found

$$y_t' = \frac{\frac{1}{2}y_{t-2} + y_{t-1} + y_t + y_{t+1} + \frac{1}{2}y_{t+2}}{4}$$

2) The ratio of the actual value and the smoothed series is found

$$x_t = \frac{y_t}{y_t'}$$

3) The average value of for quarters with the same name is found as follows

$$\bar{x}_i = \begin{cases} \frac{1}{k} \sum_{j=1}^k x_{4j+i} & i = 1, 2 \text{ yчун} \\ \frac{1}{k} \sum_{j=0}^{k-1} x_{4j+i} & i = 3, 4 \text{ yчун,} \end{cases}$$

where is k the number of cycles taken from the second step.

4) Seasonality values are found for each quarter

$$S_t = \overline{x}_i \overline{x}$$

where is 
$$\bar{x} = \frac{1}{4} \sum_{i=1}^{4} \bar{x}_i$$

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- 5) The outliers of the moving average  $y_1'$ ,  $y_2'$  and  $y_{n-1}'$ ,  $y_n'$  s are found. To do this, the average absolute change for the moving averages  $\Delta y = \frac{y_{n-3}' y_3'}{n-5}$  found above is found and will be equal to  $y_1' = y_2' \Delta y$ ,  $y_2' = y_3' \Delta y$ ,  $y_{n-1}' = y_{n-2}' + \Delta y$ ,  $y_n' = y_{n-1}' + \Delta y$
- 6) For  $y'_1, y'_2, \dots, y'_{n-1}, y'_n$  a straight line regression equation moving averages  $y_t^{(1)}$  is found.
- 7) Predicted terms are found by the formula  $y_t = y_t^{(1)} + S_t$ .

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